


## Section 4e: Practice Problem Solutions: John McGready



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### Using Stata: Arm Circumference and Height

1. Recall the regression relating arm circumference to height for the random sample of 150 Nepali children less than 12 months old

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. regress armcirc height
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Source	SS	df	MS	Number of obs
Model	148.874597	1	148.874597	150
Residual	177.263335	148	1.19772523	
Total	326.137932	149	2.18884518	

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
height	.1579469	.0141671	11.15	0.000	.1299511 .1859428
_cons	2.695906	.8774225	3.07	0.003	.9620116 4.4298

– Suppose arm circumference had been reported in inches instead of centimeters, but height was still recorded in centimeters

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### Example: Arm Circumference and Sex

a) Can you determine what the resulting slope estimate for height would be with this different reporting schema?

– In the results given, both arm circumference and height are recorded in cm. The units of the slope are “cm AC per cm height.” If arm circumference is instead recorded in inches and the regression results re-computed with this change, the resulting slope will be in units of “inches AC per cm height.” How to convert the current slope of 0.16 cm AC/cm height to the new units? Well one inch = 2.54 cm; so the updated slope estimated will be 0.16 cm/ 2.54 cm/inch: 0.06 inches AC per cm height.

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### Example: Arm Circumference and Sex

b) What would the  $R^2$  value be with this different reporting schema?

–  $R^2$  would be unaffected by the change in units and would still be 0.46

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### Example: Arm Circumference and Sex

2. Recall the regression relating arm circumference to child’s sex for the random sample of 150 Nepali children less than 12 months old

$$\hat{y} = 12.5 + -0.13x$$

■  $R^2$  for this analysis was 0.002 or 0.2%

– In this example, x is the binary variable for sex, coded as a 1 for female children, and 0 for male children. Suppose x was coded as 1 for male children and 0 for female children.

a) What would the estimate of  $R^2$  be?

$R^2$  would remain the same at 0.002 or 0.2%.

b) What would the estimate of r be?

Since the slope will be positive with the change in coding,

$$r = +\sqrt{R^2} = +\sqrt{0.002} = 0.045.$$

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